

Simulation of Dynamic Adaptation of Social-Ecological-System in Agricultural Landscapes

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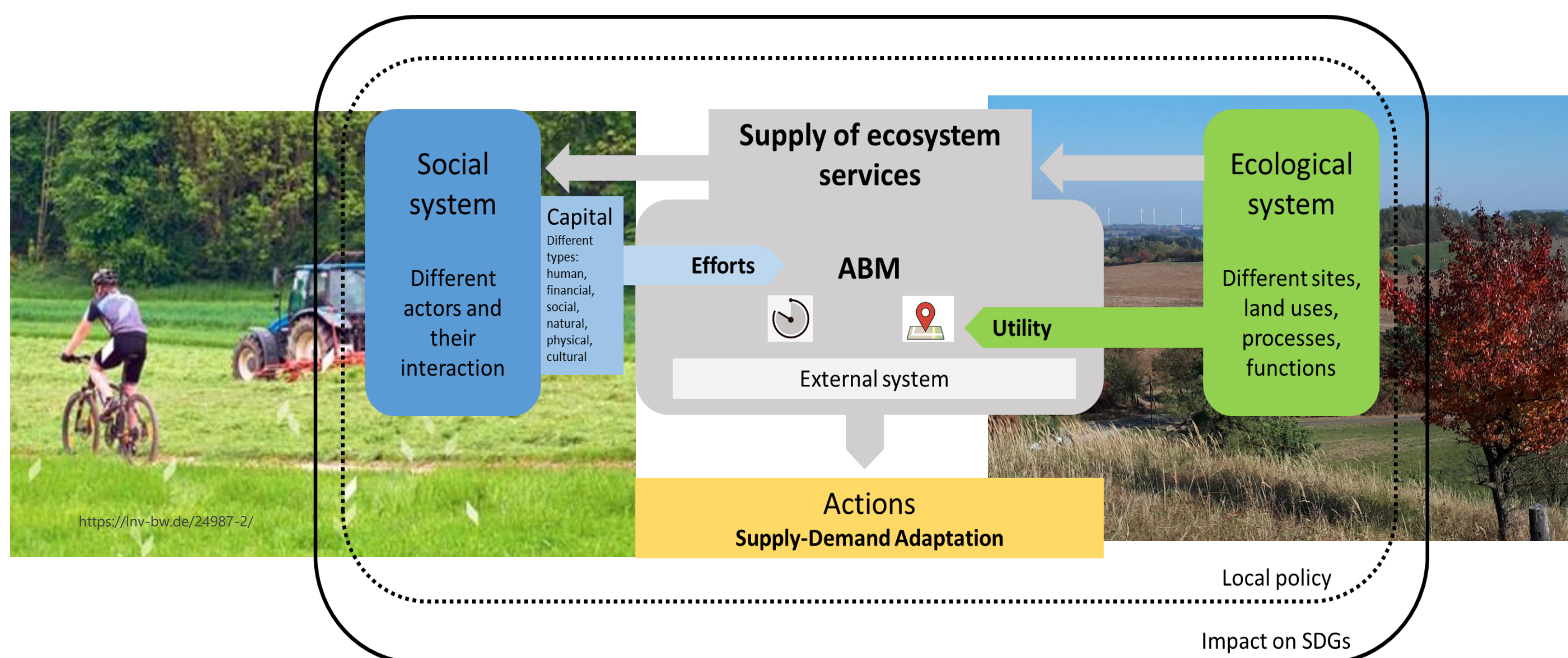
Challenges

- Tradeoffs between social benefits, demands and ecological conservation evoke debates and conflicts amongst multiple stakeholders.
- Complexity of some systems, e.g. social-ecological agroecosystem, poses a lot of challenges with classical modelling tools.

Research objectives

- Mitigating risks of conflicts between actors.
- Reducing the gap between the supply of and the demand for ecosystem services.

Conceptual framework on social-ecological system



Approach: Spatial ABM

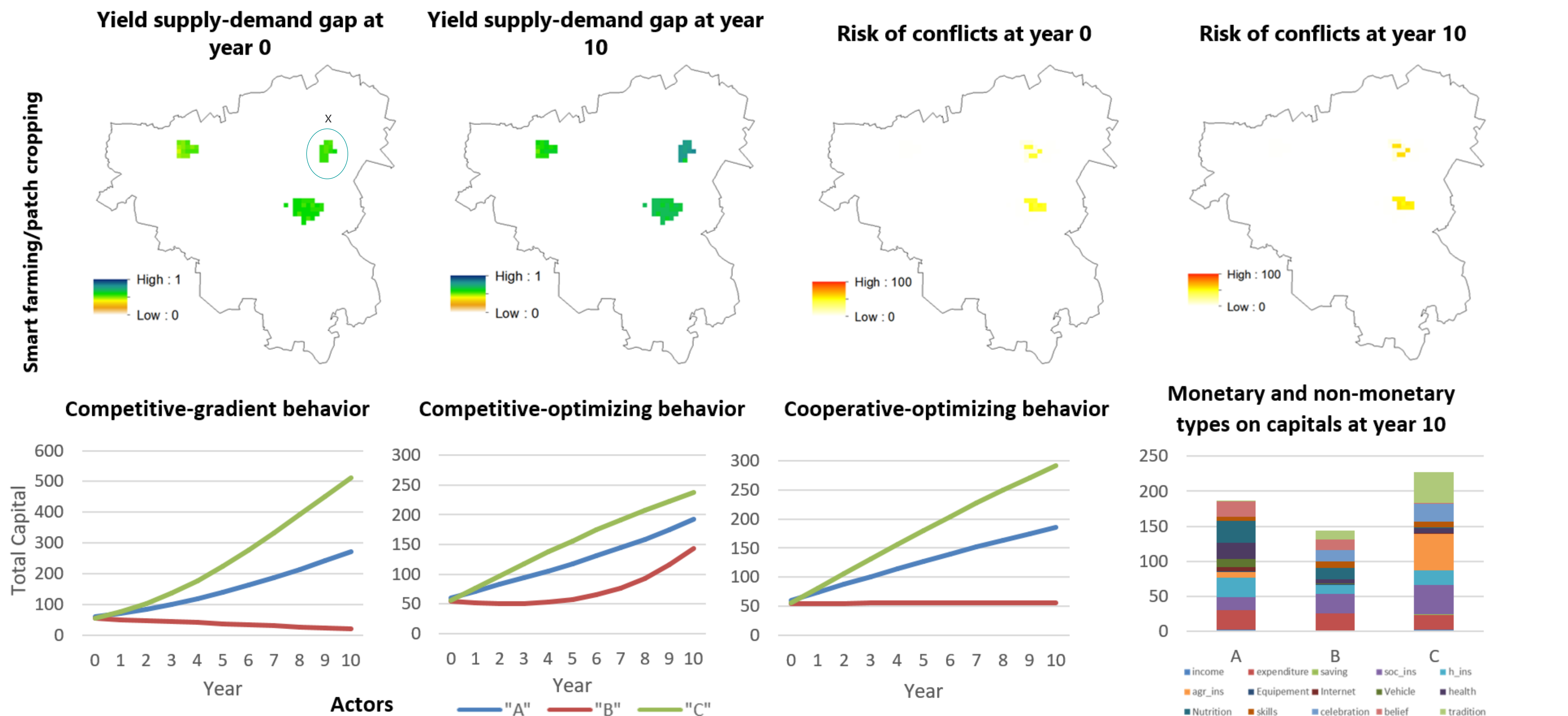
We develop the "Viability of the Social-Ecological Agroecosystem" (ViSA) spatial agent-based model which

- simulates the interactions between the demands of different actors for ecosystem services in agricultural landscape and
- depicts the evolution of their capitals in response to their adaptive decision behavior to the change in the system.

We examine a hypothetical example of three dummy actors showing demands for ecosystem services in Märkisch-Oderland, Brandenburg, Germany and apply different management options and decision rules. The model has been programmed in Netlogo 6.1.1 software.

Results: Example smart farming / patch cropping

In demand area x, smart-farming/patch cropping under cooperative-optimizing scenario has been recommended.



Competitive-gradient

$$\Delta E_a = \beta E_a (E^+ - E_a) \left(\sigma_a - \sum_b \omega_{ab} E_b - \omega_{aa} E_a \right)$$

$$\Delta p_a^k = \alpha p_a^k \left(v_a^k - \sum_l p_l^k v_l^k \right)$$

$$v_a^k = E_a \left(\frac{u_0^k}{e_a^k} - \left(\sum_b E_b z^k \frac{p_b^k}{e_b^k e_a^k} \right) - \left(E_a z^k \frac{p_a^k}{e_a^{k2}} \right) \right)$$

ΔE_a : rate of change in effort
 β : adaptation rate of effort change
 E_a : the total applied effort by actor (a)
 E^+ : max effort
 σ_a : benefits from self efforts
 ω_{ab} : the mutual coupling with other actors (b)
 Δp_a^k : rate of change in priority for ESS k
 α : adaptation rate of priority change
 p_a^k : the priority for ESS k
 v_a^k : partial change in utility with partial change of priority (marginal value)
 u_0^k : the initial unit utility
 e_a^k : efforts applied to make a unit change of ESS k
 z : the rate of change of the unit utility

Cooperative-optimizing

$$F_a^k = q_a^k p_a^k E_a \left(1 - \frac{s_x^k}{d_a^k} \right) \frac{s_{act}}{s_{per}}$$

$$F^{k*} = \left(\frac{N_x^k + (H_x^k)_{damage}}{s_x^k} \right) - r^k \left(1 - \frac{s_x^k}{p_x^k} \right)$$

$$\Delta F^k = \gamma^k (F^{k*} - F^k)$$

$$\Delta E_a^k = \frac{\Delta F^k \phi_a^k}{q_a^k}$$

F_a^k : contributed effort by actor a in the total effective effort
 q_a^k : efficiency of the applied management option
 s_x^k : current supply at location x
 d_a^k : demand for ESS k
 s_{per} : perceived supply of ESS k
 N_x^k : amount depleted due to external factors (e.g. climate change, pandemics, wars)
 H_x^k : amount depleted due to human intervention
 r_x^k : natural restoration rate
 p_x^k : max potential of ESS k
 F^k : total effective effort for ESS k
 γ^k : adaptation rate of total effective effort change
 F^{k*} : target total effective effort for ESS k
 ϕ_a^k : the share of actor a in the total effective effort